

# Automatic Synthesis of Regular Expressions from Examples

## 1. Motivation

To help the students who learn REs

Strings have exactly one pair of consecutive 0s. ( $\Sigma=\{0,1\}$ )



Positive	Negative
00	01
1001	11
010010	000
1111001111	00100

## 2. Synthesis Goal

Find a regex consistent with positive and negative examples

Positive Example

00  
1001  
010010  
1011001110

Negative Example

01  
11  
000  
00100



Alpha  
Regex



$(0?1)^*00(10?)^*$

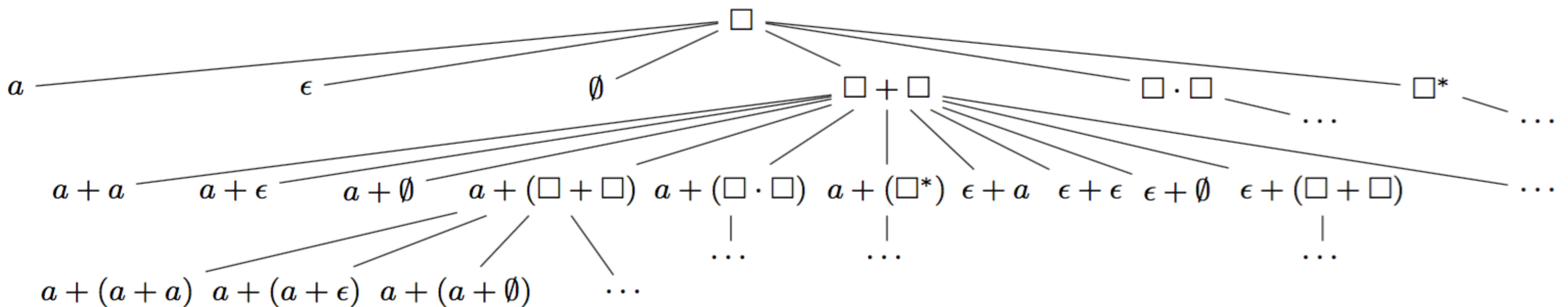
1.0s

## 3. Algorithm

**Basic Algorithm** Exhaustive search in increasing size

**Challenge**  $O(7^{2^d-1})$ : Maximum number of states at depth d

$e \rightarrow a \in \Sigma \mid \epsilon \mid \emptyset \mid e_1 + e_2 \mid e_1 \cdot e_2 \mid e^*$



### Pruning techniques

#### 1. Normalization

$$\llbracket s^* s^* \rrbracket = \llbracket s^* \rrbracket$$

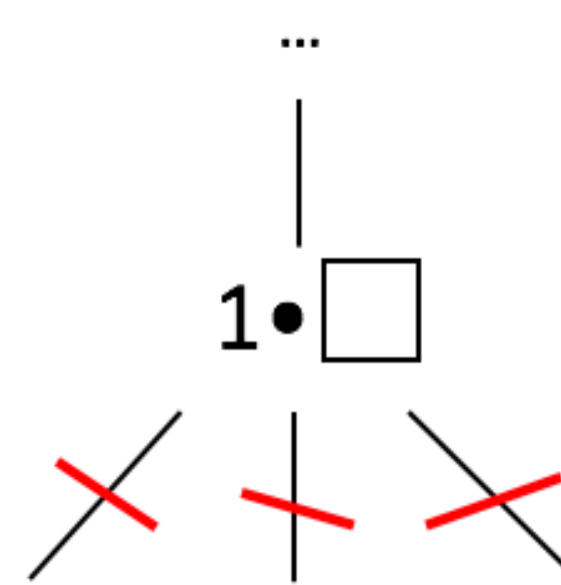
$$\llbracket (s + s) \rrbracket = \llbracket s \rrbracket$$

$$\llbracket (s \cdot s^*)^* \rrbracket = \llbracket s^* \rrbracket$$

Do not re-visit semantically-equivalent states.

#### 2. Over approximations

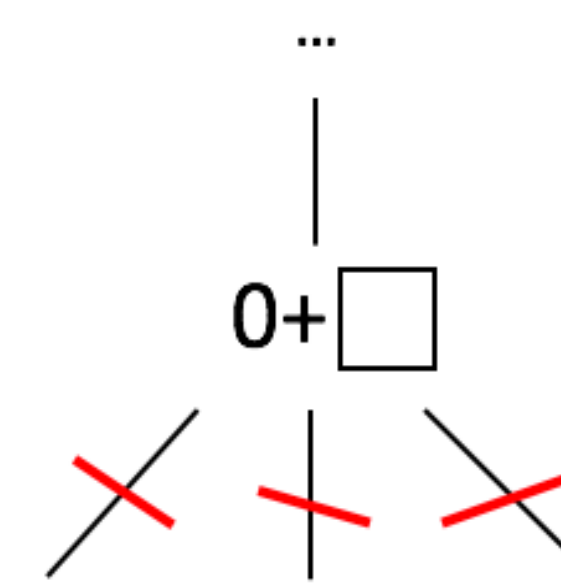
0 is in the positive examples



Further search does not produce any solutions.

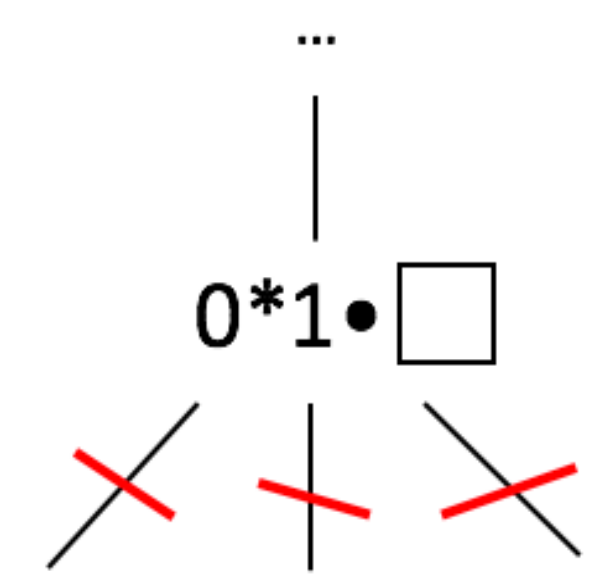
#### 3. Under approximations

0 is in the negative examples



#### 4. Identify redundant state

1 is a prefix of positive examples



Redundant symbols exist.

### Completeness

If there exists a solution, the solution will eventually be found.

## 4. Evaluation

- ✓ 25 problems from textbooks
- ✓ 3 levels of difficulty - Easy, Normal, Hard
- ✓ 6.7 seconds on average
- ✓ Worst case : < 1min

## 5. Conclusion

- ✓ Simple, but efficient algorithms
- ✓ Quickly synthesizes the solutions from small examples
- ✓ Demo : <http://prl.korea.ac.kr/AlphaRegex>

Problem	Examples		Output	Time (sec)		
	P	N		Full	No Apr	No Rd
The number of 0s is divisible by 3.	8	7	$(1+01^*01^*0)^*$	9.5	238.4	36.9
The 5 <sup>th</sup> symbol from the right end is 1.	3	3	$(0+1)^*1(0+1)(0+1)(0+1)(0+1)$	9.0	56.3	14.3
0 and 1 alternate.	9	8	$1?(01)^*0?$	1.7	19.7	3.5
Have at most two 0s.	8	7	$1^*0?1^*0?1^*$	1.4	9.5	2.3
Start with 0 and have odd length or start with 1 and have even length.	5	5	$(0+1(0+1))((0+1)(0+1))^*$	16.5	771.9	14.7
Contain at least one 0 and at most one 1.	6	9	$0^*(01?+100^*)$	2.7	33.5	7.7
At most one pair of consecutive 1s.	5	5	$(1?0)^*1?1?(01?)^*$	28.8	863.6	211.2